

3 (Sem-5) ELE

2017

ELECTRONICS

( General )

( Signals and System )

Full Marks : 80

Time : 3 hours

*The figures in the margin indicate full marks  
for the questions*

1. Answer the following : 1×10=10
- (a) What is a signal?
  - (b) Draw a unit step function.
  - (c) Give the expression of Fourier transform.
  - (d) For which class of signals, Fourier transform is required?
  - (e) Draw a periodic signal.
  - (f) What is convolution?
  - (g) How is a continuous signal converted to a discrete form?
  - (h) What is aliasing?
  - (i) What is time period of a signal?
  - (j) Define a step function.

8A/164

( Turn Over )

( 2 )

2. Answer the following questions :  $2 \times 5 = 10$

- (a) Give an example of a causal system.
- (b) Give an example of a complex signal.
- (c) Why is a low-pass filter used before sampling?
- (d) Define and draw the dirac delta function.
- (e) What are the different types of Fourier transforms used for discrete signals?

3. Answer any four questions :  $5 \times 4 = 20$

(a)  $X(z) = \frac{1+z^{-1}}{1+5z^{-1}+6z^{-2}}$

Find the inverse z-transform.

- (b) A system response is given as  
 $y(n) + 5y(n-1) + 6y(n-2) = x(n) + 2x(n-1)$   
Find the transfer function of the system.
- (c) State and prove the time reversal property of Fourier transform.
- (d) State sampling theorem. What is Nyquist rate? How is aliasing prevented? Draw diagrams wherever necessary.
- (e) Write a short note on correlation.

( 3 )

4. Answer any four questions :  $10 \times 4 = 40$

(a) An analog signal is given as  
$$x(t) = 3 \cos 50\pi t + 10 \sin 300\pi t + 10 \sin 500\pi t$$

Sampling should be done using two times of the highest frequency of the signal. Using the sampling process thus obtained, derive the discrete signal produced.

(b)  $y(n) = x(n) + 2x(n-1) + x^2(n)$

Check the linearity and causality of the system.

- (c) Write a short note on DIT FFT.
- (d) State and establish the following :
  - (i) Parseval's energy density theorem
  - (ii) Scaling (time-frequency and amplitude)
- (e) Write a short note on Fourier Series.

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